

# Prolog Homework 1: search trees

answer

# Backtracking

- Query:  $k(Y)$

## Homework:

1. write out the full set of search trees for this query to find out what Prolog should produce as solutions for  $Y$ .
2. check that Prolog produces the results you thought
3. see if you can follow through using `trace(k)` the steps that Prolog actually went through: are they the same as your proof tree?

# Example

```
f(a).  
f(b).  
g(a).  
g(b).  
h(b).  
k(X):- f(X), g(X), h(X).
```

```
?- k(Y).
```

# Example: search tree

```
f(a).  
f(b).  
g(a).  
g(b).  
h(b).  
k(X):- f(X), g(X), h(X).
```

```
?- k(Y).
```

```
?- k(Y).
```

# Example: search tree

```
f(a).  
f(b).  
g(a).  
g(b).  
h(b).  
k(X):- f(X), g(X), h(X).
```

```
?- k(Y).
```

```
?- k(Y).  
Y=X  
?- f(X), g(X), h(X).
```

# Example: search tree

```
f(a).  
f(b).  
g(a).  
g(b).  
h(b).  
k(X):- f(X), g(X), h(X).
```

```
?- k(Y).
```

```
?- k(Y).
```

```
Y=X
```

```
?- f(X), g(X), h(X).
```

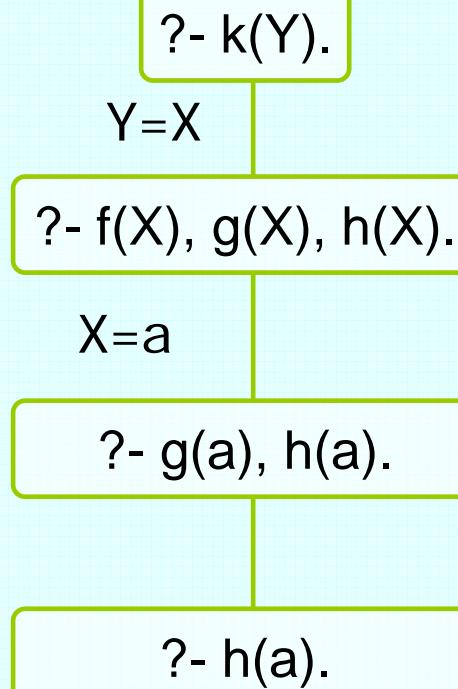
```
X=a
```

```
?- g(a), h(a).
```

# Example: search tree

```
f(a).  
f(b).  
g(a).  
g(b).  
h(b).  
k(X):- f(X), g(X), h(X).
```

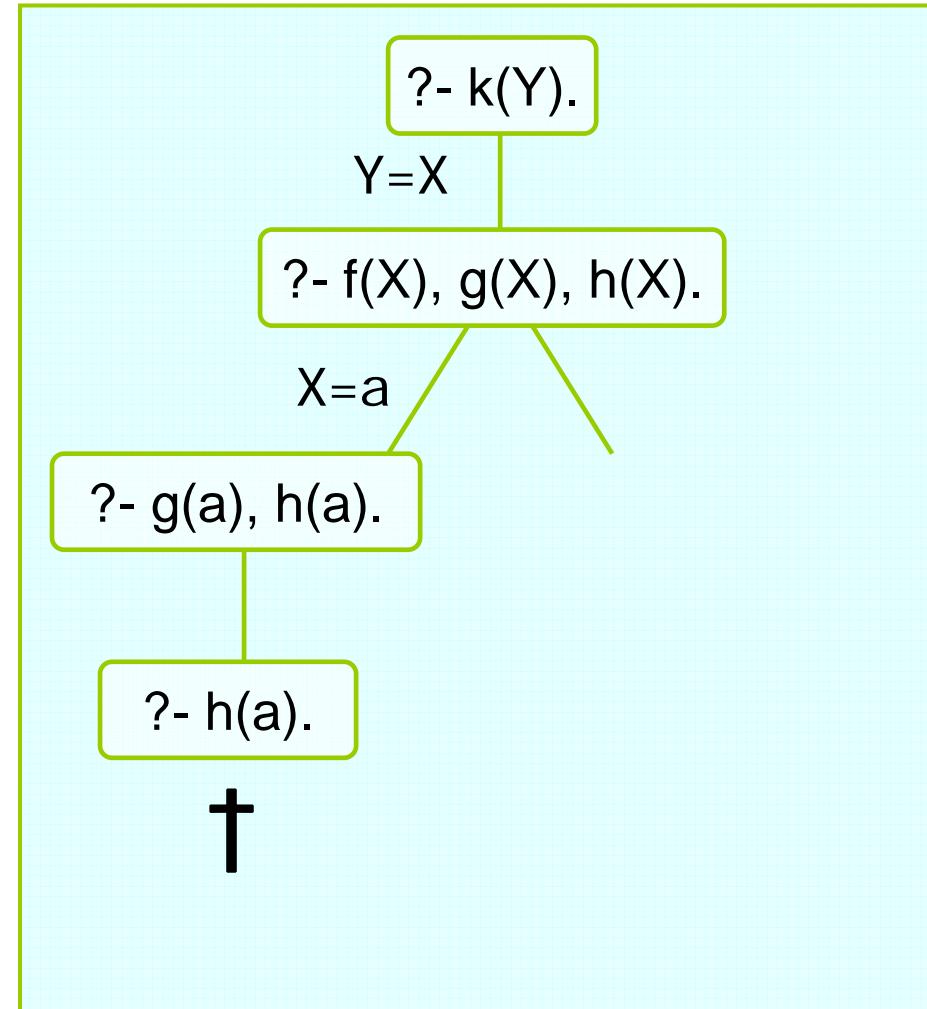
```
?- k(Y).
```



# Example: search tree

```
f(a).  
f(b).  
g(a).  
g(b).  
h(b).  
k(X):- f(X), g(X), h(X).
```

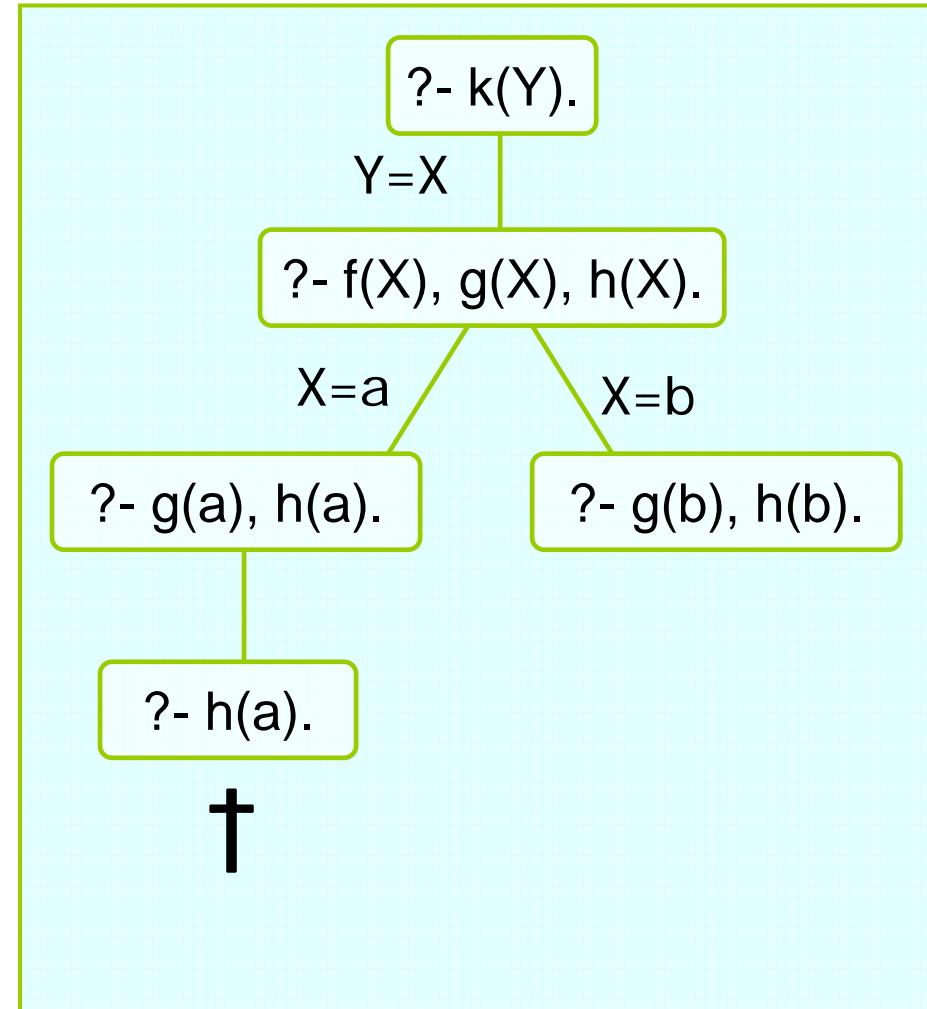
```
?- k(Y).
```



# Example: search tree

```
f(a).  
f(b).  
g(a).  
g(b).  
h(b).  
k(X):- f(X), g(X), h(X).
```

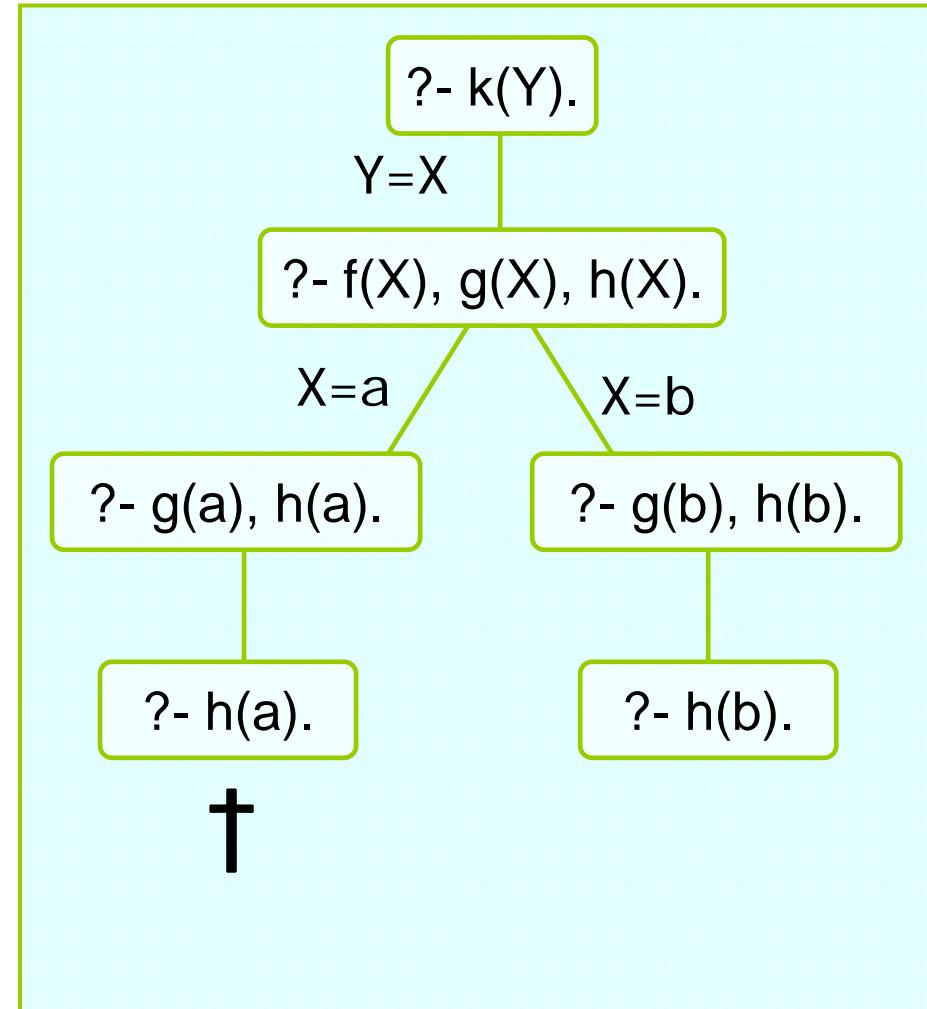
```
?- k(Y).
```



# Example: search tree

```
f(a).  
f(b).  
g(a).  
g(b).  
h(b).  
k(X):- f(X), g(X), h(X).
```

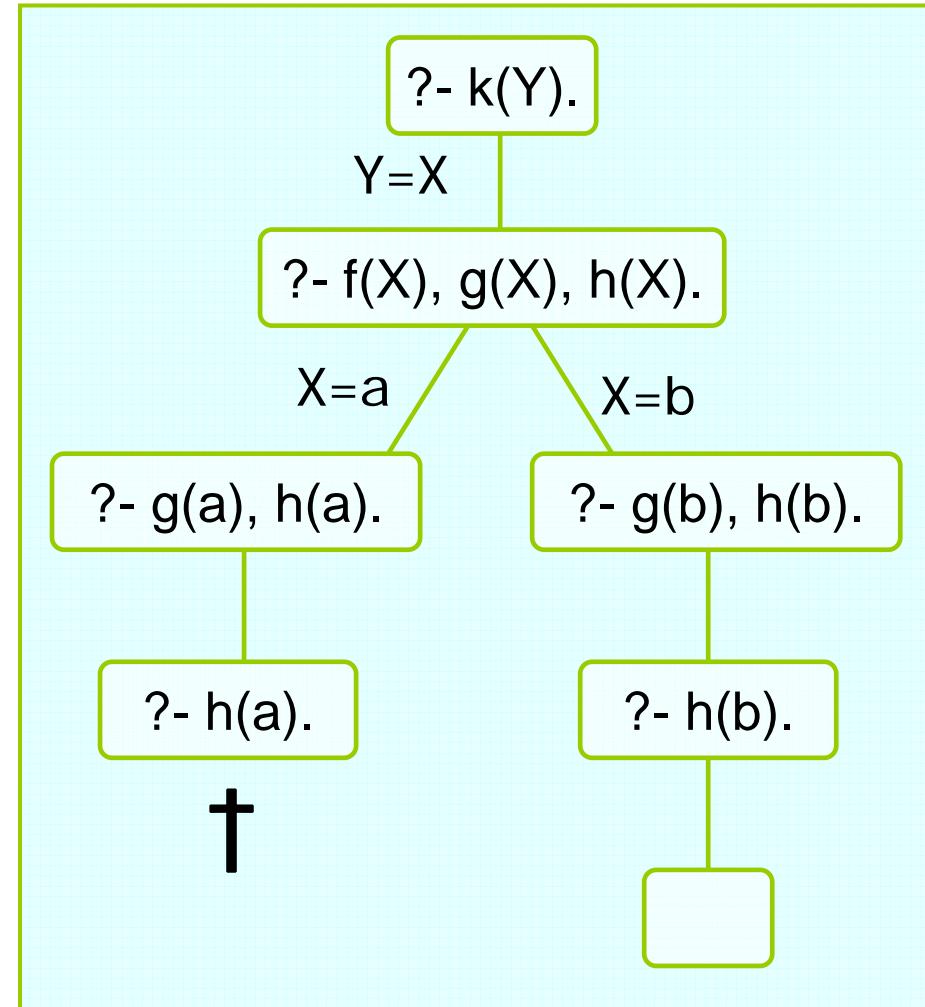
```
?- k(Y).
```



# Example: search tree

```
f(a).  
f(b).  
g(a).  
g(b).  
h(b).  
k(X):- f(X), g(X), h(X).
```

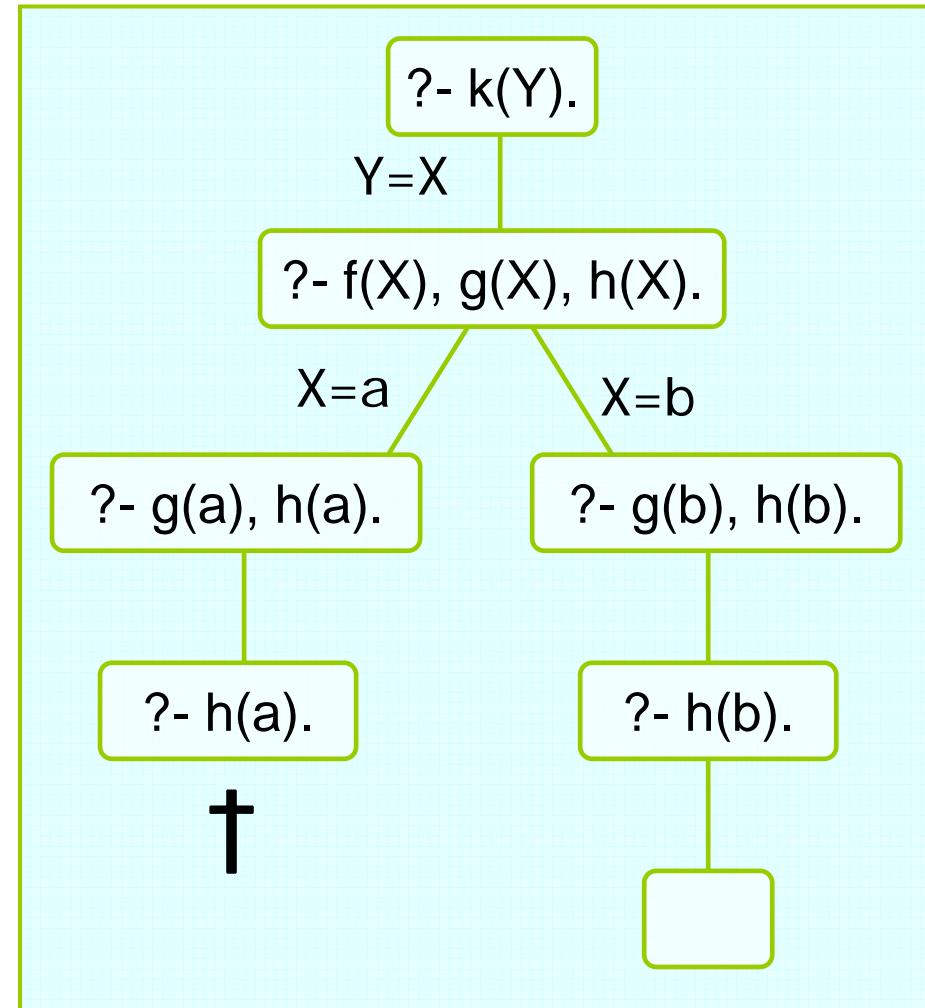
```
?- k(Y).  
Y=b
```



# Example: search tree

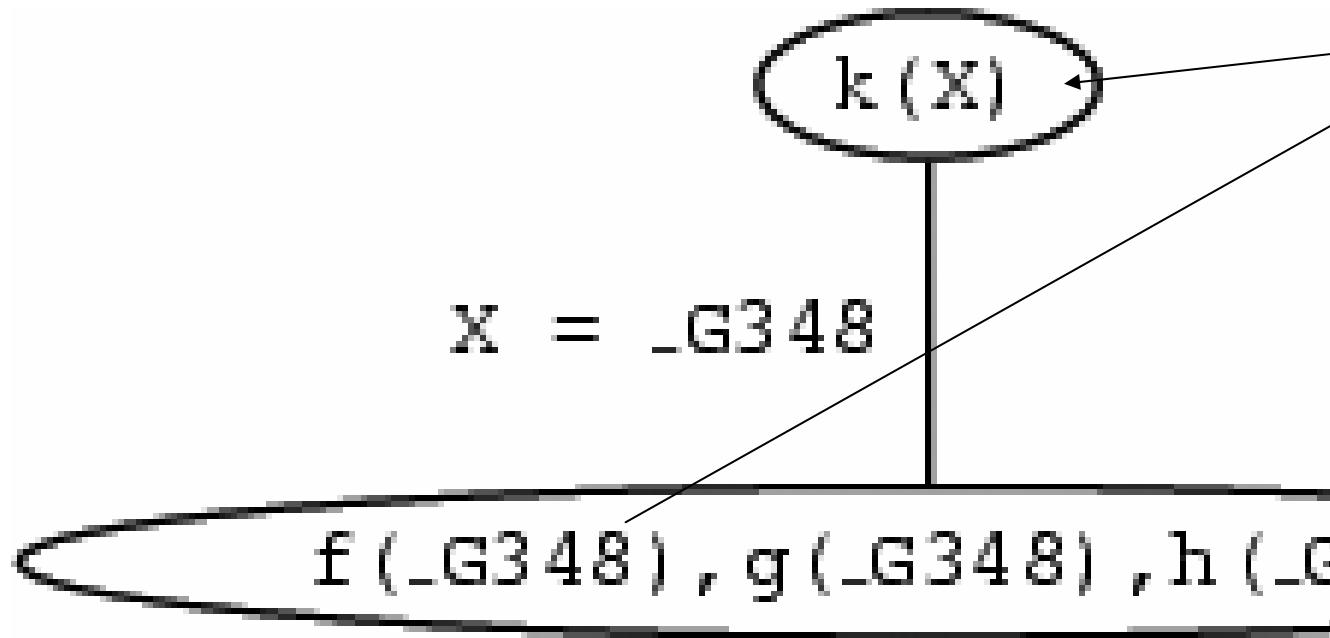
```
f(a).  
f(b).  
g(a).  
g(b).  
h(b).  
k(X):- f(X), g(X), h(X).
```

```
?- k(Y).  
Y=b;  
no  
?-
```

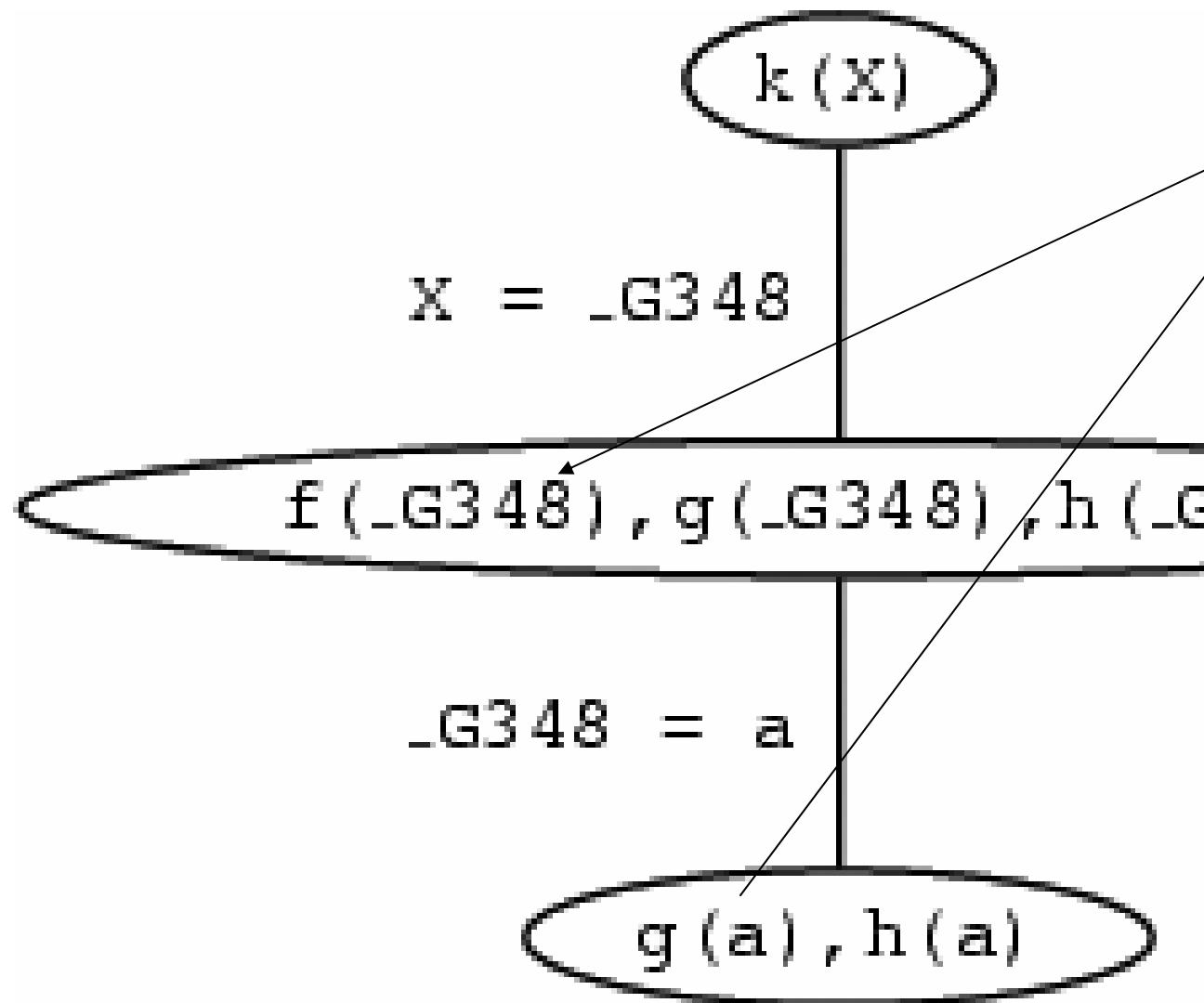


# Tracing...

```
[debug] 13 ?- k(Y).  
T Call: (7) k(_G397)  
T Call: (8) f(_G397)  
T Exit: (8) f(a)  
T Call: (8) g(a)  
T Exit: (8) g(a)  
T Call: (8) h(a)  
T Fail: (8) h(a)  
T Redo: (8) f(_G397)  
T Exit: (8) f(b)  
T Call: (8) g(b)  
T Exit: (8) g(b)  
T Call: (8) h(b)  
T Exit: (8) h(b)  
T Exit: (7) k(b)  
Y = b.
```



[debug] 13 ?- k(Y).  
**T Call: (7) k(\_G397)**  
T Call: (8) f(\_G397)  
T Exit: (8) f(a)  
T Call: (8) g(a)  
T Exit: (8) g(a)  
T Call: (8) h(a)  
T Fail: (8) h(a)  
T Redo: (8) f(\_G397)  
T Exit: (8) f(b)  
T Call: (8) g(b)  
T Exit: (8) g(b)  
T Call: (8) h(b)  
T Exit: (8) h(b)  
T Exit: (7) k(b)  
Y = b.



[debug] 13 ?- k(Y).

T Call: (7) k(G397)

T Call: (8) f(G397)

**T Exit: (8) f(a)**

T Call: (8) g(a)

T Exit: (8) g(a)

T Call: (8) h(a)

T Fail: (8) h(a)

T Redo: (8) f(G397)

T Exit: (8) f(b)

T Call: (8) g(b)

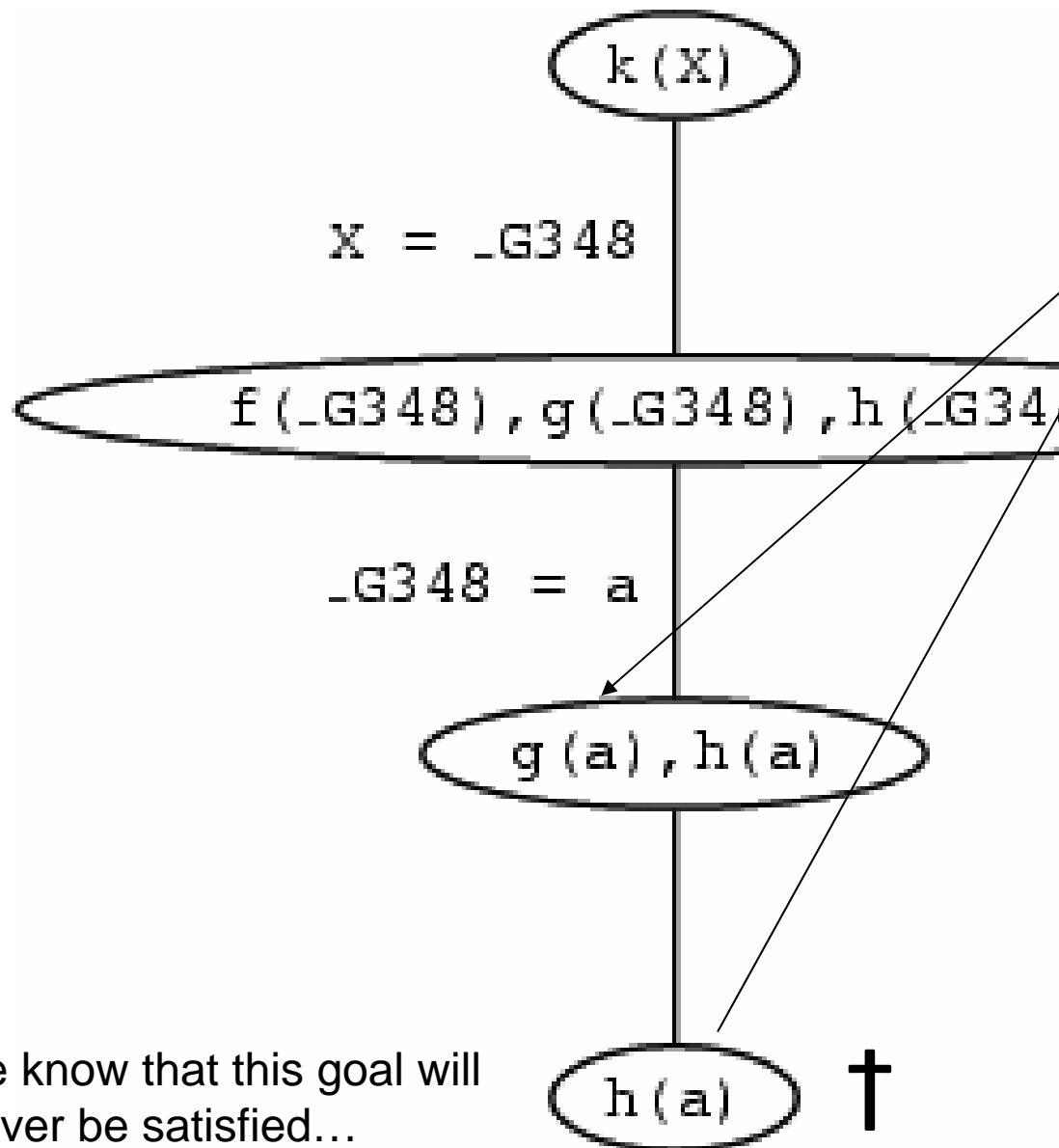
T Exit: (8) g(b)

T Call: (8) h(b)

T Exit: (8) h(b)

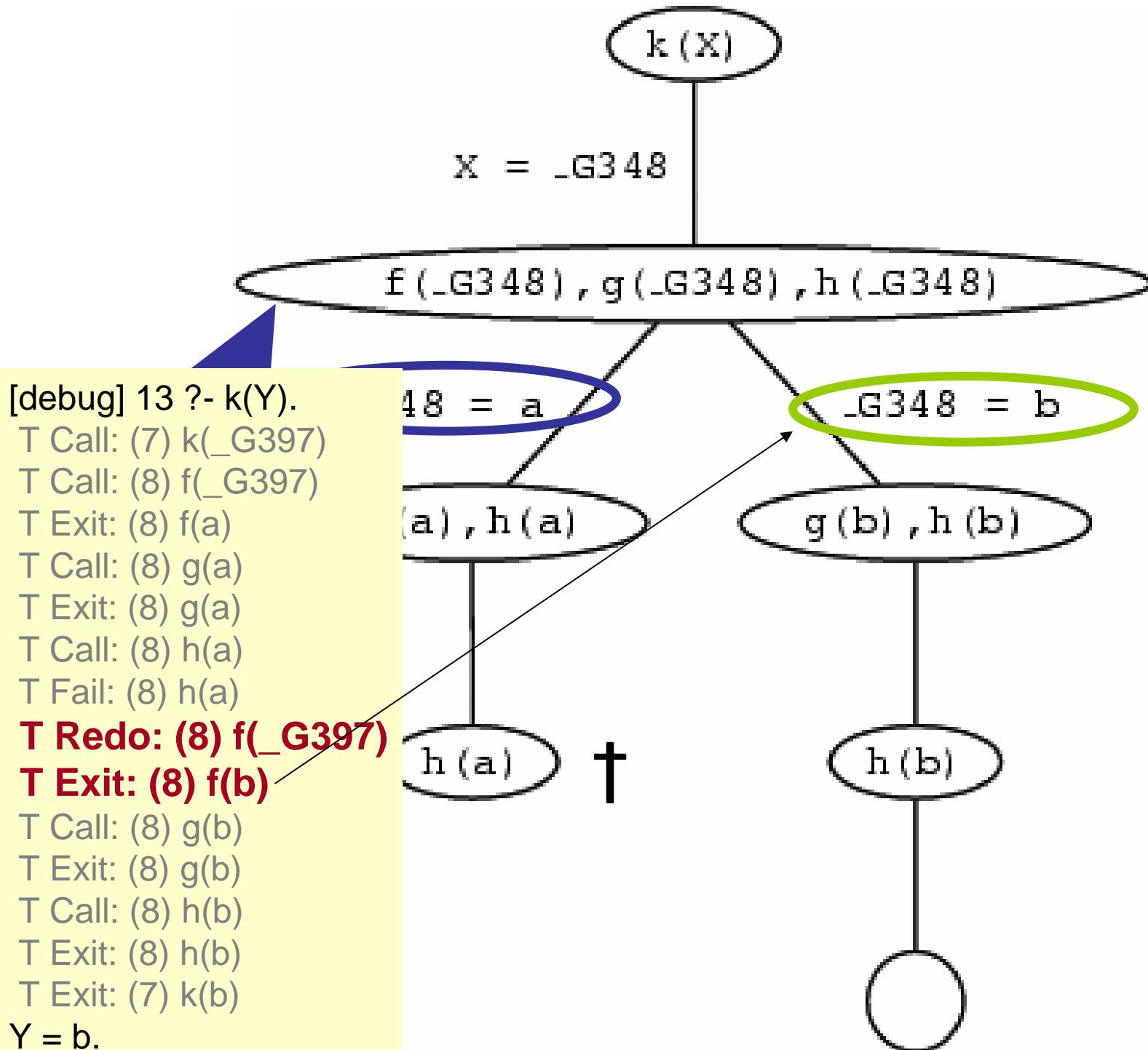
T Exit: (7) k(b)

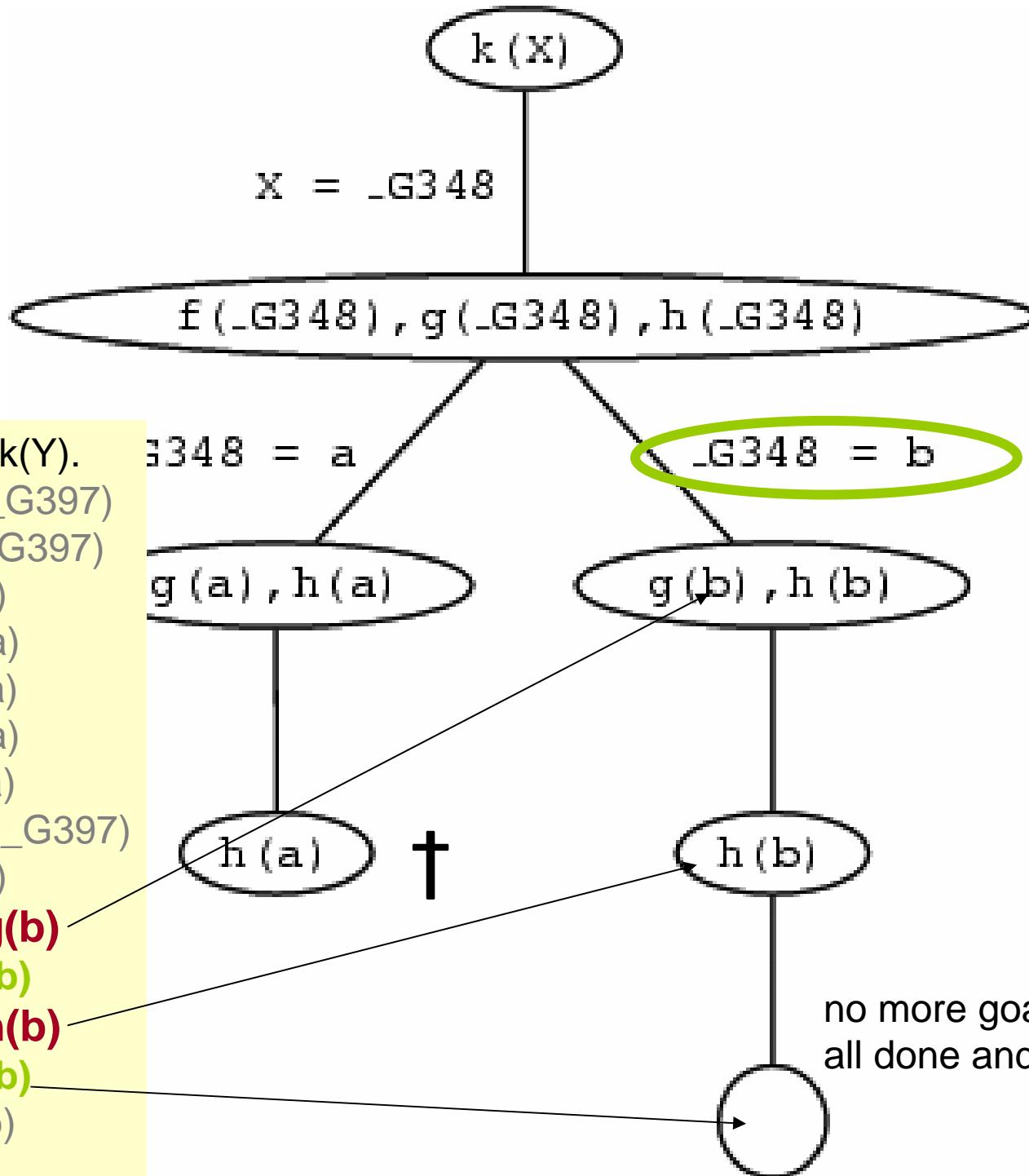
Y = b.



we know that this goal will never be satisfied...

[debug] 13 ?- k(Y).  
 T Call: (7) k(\_G397)  
 T Call: (8) f(\_G397)  
 T Exit: (8) f(a)  
 T Call: (8) g(a)  
**T Exit: (8) g(a)**  
**T Call: (8) h(a)**  
**T Fail: (8) h(a)**  
 T Redo: (8) f(\_G397)  
 T Exit: (8) f(b)  
 T Call: (8) g(b)  
 T Exit: (8) g(b)  
 T Call: (8) h(b)  
 T Exit: (8) h(b)  
 T Exit: (7) k(b)  
 Y = b.





# What ‘problem’ has this funny example just solved?

```
human(X):-mortal(X).
```

f(a).  
f(b).  
g(a).  
g(b).  
h(b).

